

# CS480

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## Top Down Parsing

Ch 4 p 181-195

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# Parsing

- Will the following code parse?
- Is it valid C code?

```
#include <stdio.h>
```

```
int main()
```

```
{
```

```
    x ++;
```

```
}
```

# Top Down Parsing

- Find left most derivation of a string
- 
- Backtracking
  - Predictive

**S**  $\rightarrow$  **cBd**

**B**  $\rightarrow$  **ab** | **a**

a) Is this grammar ambiguous?

b) Is this grammar left-recursive?

c) Show  $S \xRightarrow{lm}^+ cad$

Is backtracking necessary?

d) Can this grammar be left factored?

# Top Down Parsing

- Recursive decent
  - no backtracking
- no left-recursion ( left factored )
- LL(1) parsing
  - L: Left to right
  - L: Left most derivation
  - (1): One lookahead token

# Grammar

**expr**  $\rightarrow$  **expr op term** | **term**

**op**  $\rightarrow$  **+** | **-**

**term**  $\rightarrow$  **term mulop factor** |  
**factor**

**mulop**  $\rightarrow$  **\***

**factor**  $\rightarrow$  **( expr )** | **num**

# Parse Tables

- Not all grammars are good for recursive descent
  - backtracking can be expensive
- LL(1) uses a stack instead of recursion
- Use FIRST and FOLLOW to build predictive parse tables

# Example Grammar

**E**  $\rightarrow$  **TE'**

**E'**  $\rightarrow$  **+TE'** |  $\epsilon$

**T**  $\rightarrow$  **FT'**

**T'**  $\rightarrow$  **\*FT'** |  $\epsilon$

**F**  $\rightarrow$  **(E)** | **id**



# FIRST

“Let  $\text{FIRST}(\alpha)$  be the set of terminals that begin the strings derived from  $\alpha$ . If  $\alpha \Rightarrow^* \epsilon$ , then  $\epsilon$  is also in  $\text{FIRST}(\alpha)$ .” Aho p 188

$\text{FIRST}(E)$

$\text{FIRST}(E')$

$\text{FIRST}(F)$

$\text{FIRST}(T)$

$\text{FIRST}(T')$

$\text{FIRST}(\text{EXPRESSION})$  is to be used in your top-down parser to identify the beginning of an expression or  $\epsilon$

# FOLLOW

- "FOLLOW(N), for nonterminal N, is the set of terminals  $t$  that can appear immediately to the right of N in some sentential form, that is, the set of terminals  $t$  such that there exists a derivation of the form  $S \Rightarrow^* \alpha N t \beta$  for some  $\alpha$  and  $\beta$ ." Aho, p 189

FOLLOW(E)

FOLLOW(E')

FOLLOW(F)

FOLLOW(T)

FOLLOW(T')

# Parse Table Construction

```
for (each nonterminal N and production  
    possibility  $N \rightarrow \alpha$ )  
{  
    for (each token t in the  $\text{FIRST}(\alpha)$ )  
    {  
        Add  $N \rightarrow \alpha$  to  $\text{TBL}[N,t]$   
  
        if ( $\epsilon$  is an element of  $\text{FIRST}(\alpha)$ )  
            for (each token a in the  $\text{FOLLOW}(N)$ ,  
                Add  $N \rightarrow \alpha$  to  $\text{TBL}[N,t]$   
            )  
        }  
    }  
}
```