

# CS310

---

## Parsing with Context Free Grammars

Today's reference:

Compilers: Principles, Techniques, and Tools

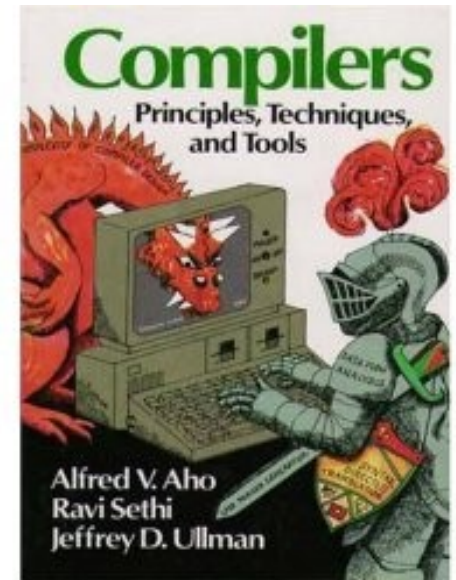
by: Aho, Sethi, Ullman

aka: The Dragon Book

ISBN: 0-201-10088-6

Section 2.4 page 40

October 27, 2010



# Parsing

- Can a string,  $s$ , be generated by a grammar?
  - does source code conform to the C grammar?

---

- For any CFG, we can parse in  $O(n^3)$ ,  $n = |s|$ 
  - $O(n)$  algorithms exist for languages that arise in practice
  - Single left to right scan with one look ahead character
- Top-down vs. Bottom-up
  - describes how you construct the parse tree

# Parsing

Example

$A \rightarrow 0A1$

$A \rightarrow B$

$B \rightarrow \#$

- Top-down
  - efficient parsers that are more easily constructed by hand
  - We will be concerned with these for now
- Bottom-up
  - handles a larger class of grammars
  - often used in software tools that produce a parser from a grammar

# Top Down Parsing

- For some grammars, this can be done with a single left to right scan of the input
  - looking at a single character/**token** at a time
  - the *lookahead* character

**TYPE -> SIMPLE**

| **id**

| **array [ SIMPLE ] of TYPE**

**SIMPLE -> integer**

| **char**

| **num dotdot num**

\*

Let's build the parse tree  
array [ num dotdot num ] of integer

---

# Recursive-descent Parsing

---

- Top down parsing
  - execute a set of recursive procedures to parse
  - one procedure per nonterminal
- Predictive parsing
  - special case of Recursive-descent parsing
  - the lookahead character *unambiguously* determines how to choose the next step
    - not all grammars will work

# Example

```
procedure type
```

```
begin
```

```
  if lookahead is in { integer, char, num } then  
    simple()
```

```
  else if lookahead = id then
```

```
    match(id);
```

```
  else if lookahead = array then
```

```
    match(array); match([]); simple; match([]);
```

```
    match(of); type;
```

```
  else
```

```
    error
```

```
  endif
```

```
end type
```

**TYPE -> SIMPLE**

| id

| array [ SIMPLE ] of TYPE

# Left Recursion

$T \rightarrow T a x \mid x$

what does this produce?

---

- Left Recursive Grammar
- What would **procedure type** look like?
- Problem?

- Rewrite as *right recursive*

$T \rightarrow x R$

$R \rightarrow a x R \mid \epsilon$



# First

- The lookahead character *unambiguously* determines how to choose the next step
- 
- We calculate FIRST(A)
  - FIRST(A) is the set of characters that appear as the first symbols of one or more strings generated from A ♦
  - For predictive parsing to work without **backtracking** when  $A \rightarrow X$  and  $A \rightarrow Y$  exist, FIRST(X) and FIRST(Y) must be disjoint
    - Why?

# First

- What is FIRST() for each of the nonterminals?

**TYPE -> SIMPLE**

| **id**

| **array [ SIMPLE ] of TYPE**

**SIMPLE -> integer**

| **char**

| **num dotdot num**

\*

# Simple Parse Table

- Instead of a function, we can build a table to tell us how to parse.

	(	)	0	1
S	2	-	1	1
Q	-	-	4	3

Parse Error!

- (1)  $S \rightarrow Q$
- (2)  $S \rightarrow (S)$
- (3)  $Q \rightarrow 1$
- (4)  $Q \rightarrow 0$

# Build the Parse Table

Does the grammar need transformed?

(1)  $S \rightarrow AB$

(2)  $S \rightarrow B$

(3)  $A \rightarrow a \mid cA$

(4)  $B \rightarrow b \mid dB$

Parse the strings

ccadb

b

ddb