## Recursive Functions

- All function calls that we have seen so far have been made by other functions

- A recursive function is a function that calls itself



## Recursion

- Some problems are more easily solved using recursion
- Tree functionality is more easily solved by recursion than by iteration


## First Recursive Problem

void count (int index)
\{
printf ("\%d", index); if (index < 2)
\{
count (index + 1);
\}
\}
int main ()
\{
count (0); return 0;
\}
What is the output?

## Visualizing Recursion

- To understand how recursion works, it helps to visualize what is going on
- We will do this using Activation Records (stack frames) and the Call Stack (runtime stack)
- Each time a function is called, an activation record is created and pushed on to the top of the stack
- When the function returns, the activation record is popped off the stack


## Recursion and the Call Stack

- When a method calls itself recursively, you just push another copy of the function on to the top of the stack


## Recursion and Call Stacks



Yes, printf () generates an AR each time count () is called

## What is the Output?

void count (int index)
\{
printf ("\%d", index);
if (index < 2)
\{
count (index + 1);
\}
\}
int main ()
\{
count (3); return 0;

## Recursion and Factorials

- Computing factorials are a classic problem for examining recursion.
- A factorial is defined as follows:

$$
n!=n *(n-1) *(n-2) \ldots . * 1 ;
$$

- For example:

$$
\begin{aligned}
& 1!=1 \text { (Base Case) } \\
& 2!=2 * 1=2 \\
& 3!=3 * 2 * 1=6 \\
& 4!=4 * 3 * 2 * 1=24 \\
& 5!=5 * 4 * 3 * 2 * 1=120
\end{aligned}
$$

## Recursion and Factorials

- First step is to frame the problem in terms of itself. You do this by finding a pattern
- Once you see the pattern, you can apply this pattern to create a recursive solution to the problem
- Divide a problem up into:
- What it can do (usually a base case)
- What it cannot do
- What it cannot do resembles original problem
- The function launches a new copy of itself (recursion step) to solve what it cannot do


## Recursive Factorial Solution

```
int main ()
{
    int i;
    for (i = 1; i <= 10; ++i)
    {
        printf ("%d!: %d\n", i, factorial (i));
    }
    return 0;
```

\}

## Recursive Binary Search

- In class we wrote an iterative binary search. Can you make that recursive?

