

# Chi-squared test

- Used to compare two categorical variables
- Each categorical variable breaks our population into two or more subgroups

Null hypothesis is that the two categorical variables are **independent**:

- p-value  $> 0.05$ : Do not reject Null, i.e. the variables are independent
  - p-value  $< 0.05$ : Reject null, i.e. the variables are NOT independent.
- Need to transform the data from categorical into the number of counts in each subgroup.
    - Need 80% of “expected” cell counts to be  $> 5$
    - No cells with “expected” cell counts below 1
- NOTE:R will warn you if this is not the case.

# Chi-squared example: Transform

Gender	Coffee Intake
Male	3
Male	2
Female	0
Male	1
Female	1
Male	2
Female	2

	0	1	2	3
Male	0	1	2	1
Female	2	1	1	0

Does Gender impact Coffee Intake?

## Problem 10.4

**Question:** Are gender and coffee consumption independent?

The file LipidData contains information about gender and coffee consumption

1. State the Null Hypothesis and the alternative hypothesis
2. Construct a table of counts:

```
table(lipidDataFrame$Gender, lipidDataFrame$`Coffee intake (cups/day)`)
```

```
      0  1  2  3  4  5  7  8  
female 7  5  7  2  0  2  0  1  
male  35 14 12  4  2  3  1  0
```

Question: Is this data a good candidate for this test?

# Problem 10.4

## 3. Run a chi-squared test:

```
> chisq.test(lipidDataFrame$Gender, lipidDataFrame$`Coffee intake (cups/day)`)
```

```
    Pearson's Chi-squared test
```

```
data:  lipidDataFrame$Gender and lipidDataFrame$`Coffee intake (cups/day)`  
X-squared = 7.7587, df = 7, p-value = 0.3544
```

## 4. Conclusion?